Collective Estimation

Basis

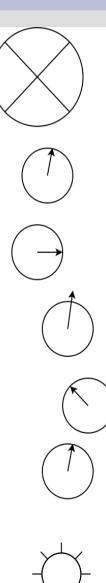
- Following the work of Shervin & Rodi
- The scenario was split in 2 parts
 - find the prey using chains of robots
 - retrieve collectively the prey to the nest

Problem

Chains might not be long enough

Solution

Explore the environment using a random walk



Collective Estimation

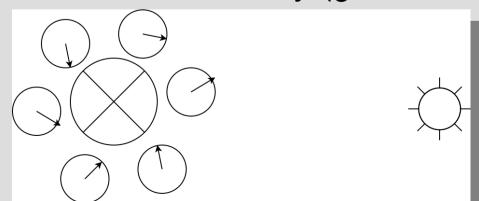
Challenge

- Robots find the prey, but don't perceive the nest anymore
- How to go back to the nest?
- Odometry on a single robot is not efficient
- Is it possible to have an improved estimation of the direction of the nest using several robots?

Mechanism proposed

Hypothesis

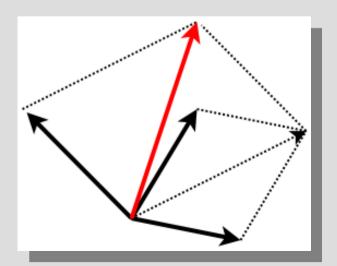
- The distribution of odometry errors is symetric (gaussian)
- Robots can communicate with some local neighbours using their LEDs and cameras
- Robots are disposed in circle around the prey
- The communications are noisy (gaussian perturbation)



Mechanism proposed

Rules

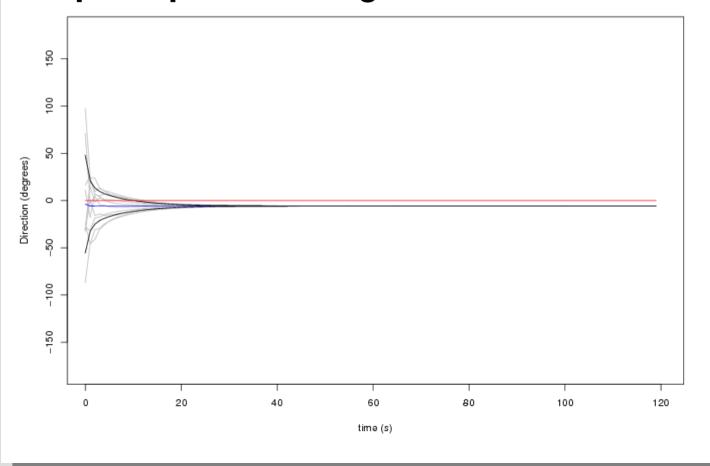
- For each robot
 - Estimate the direction di pointed by the n*2 neighbours
 - Update it's own pointed direction using the formula
 - desiredDir = (oldDir + di) / (n*2 + 1)
 - newDir = oldDir + delta (desiredDir oldDir)



Method & Measures

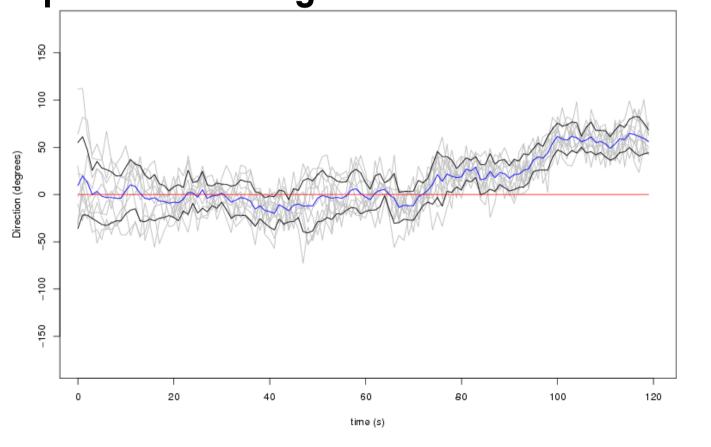
- Within one experiment of fixed duration d
- There are r robots that perceive n*2 neighbours
- We measure the mean direction of the group
- We measure the standard deviation of directions
- Over 10000 replications we have
 - an averaged experiment in time
 - the distribution of mean directions at the end
 - the distribution of standard deviations at the end

One experiment with d=120, r = 10, n = 1, and no noise in perception of neighbours

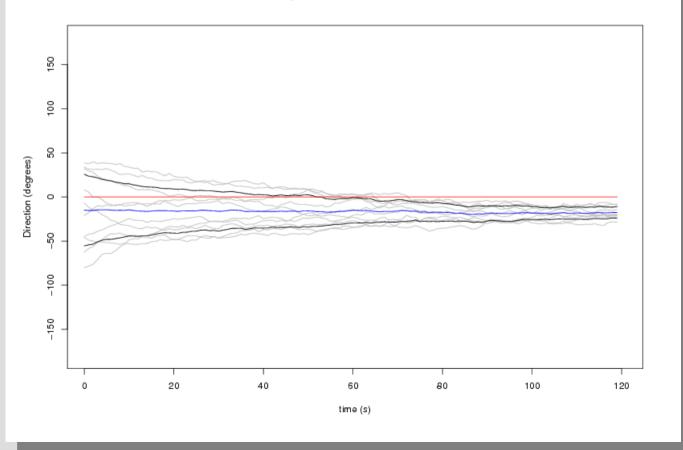


One experiment with d=120, r=10, n=1, noise in

perception of the neighbours

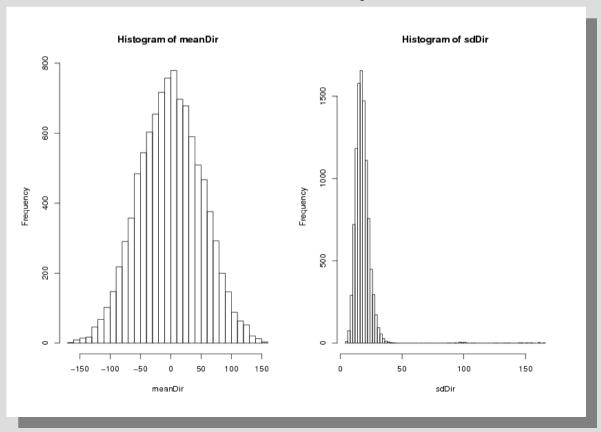


One experiment with d=120, r = 10, n = 1, noise in perception of the neighbours, but delta = 0.1 ■



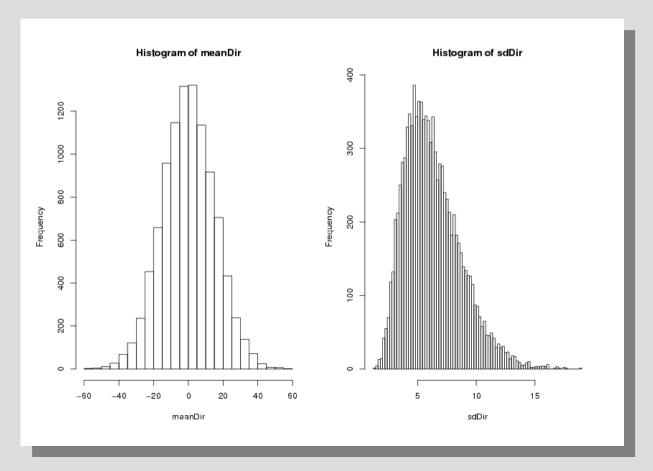
One experiment with d=120, r=10, n=1, delta=1.0

 Distributions of mean directions and standard deviations at the end of the exp.



One experiment with d=120, r=10, n=1, delta=0.1

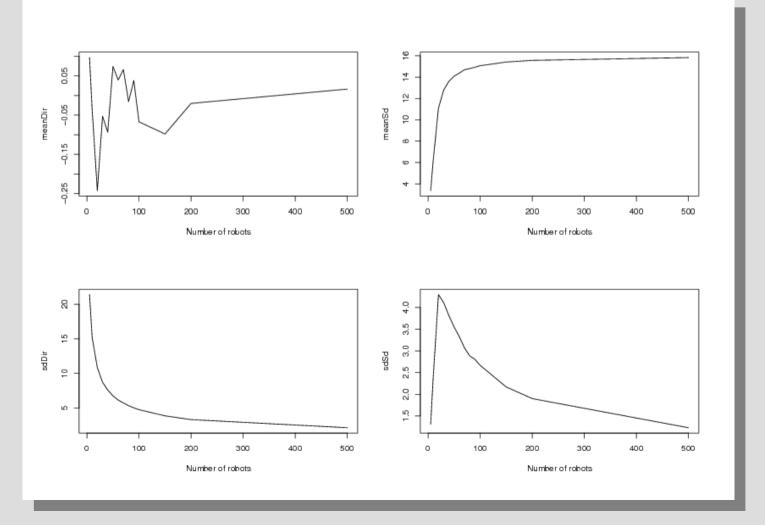
Distributions of mean/sd directions at end of the exp.



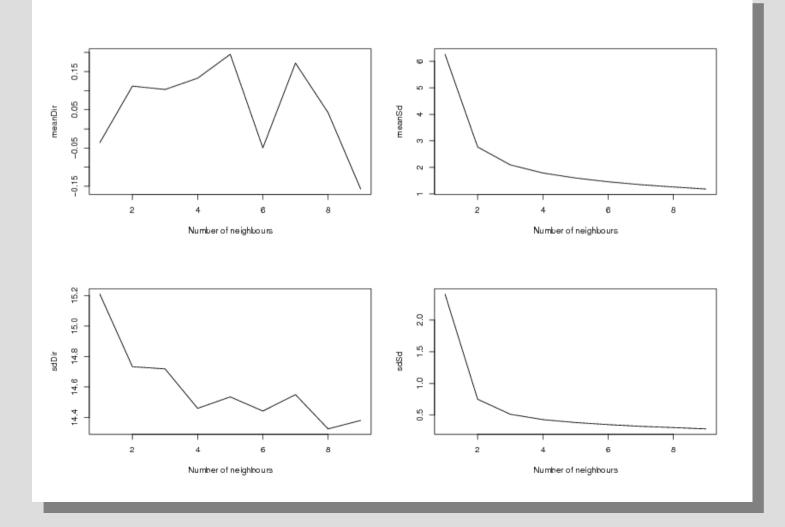
- We focus on a specific case :
 - d = 120 seconds
 - r = 10 robots
 - n = 1 robots
 - odometry noise = 45 degrees
 - perception noise = 25 degrees
 - delta = 0.1

 We study the distributions of mean direction and standard deviations of direction with respect to variations of all parameters

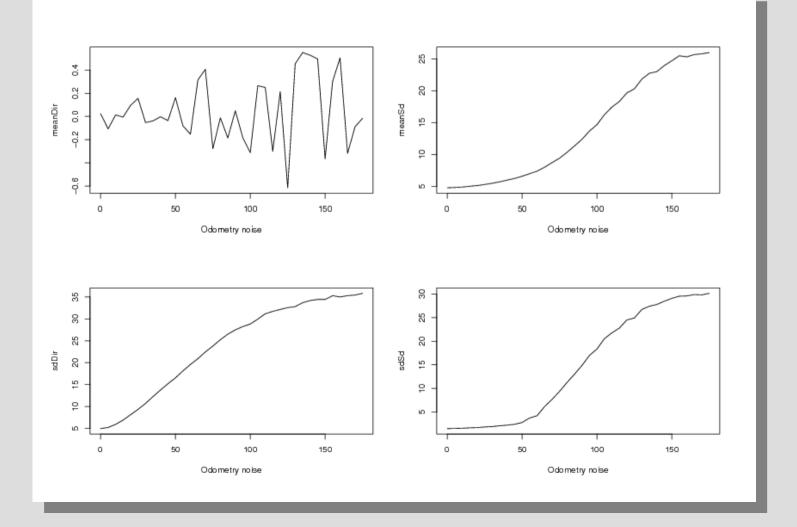
What happens if the number of robots changes?



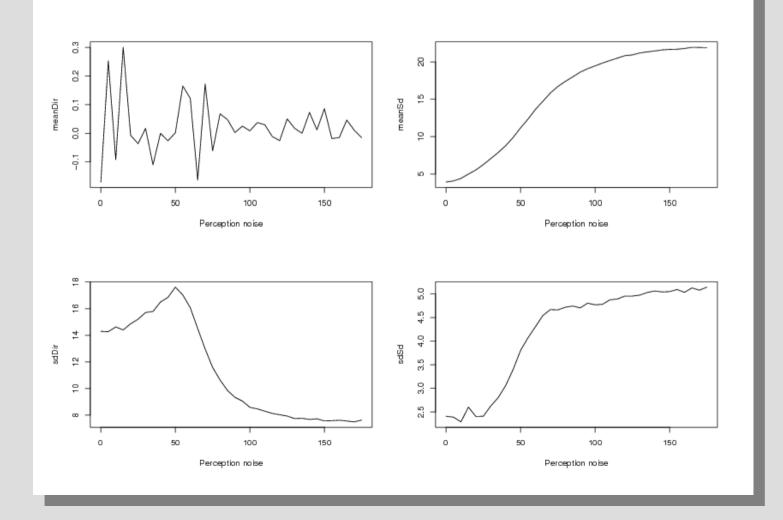
• If the number of neighbours perceived changes?



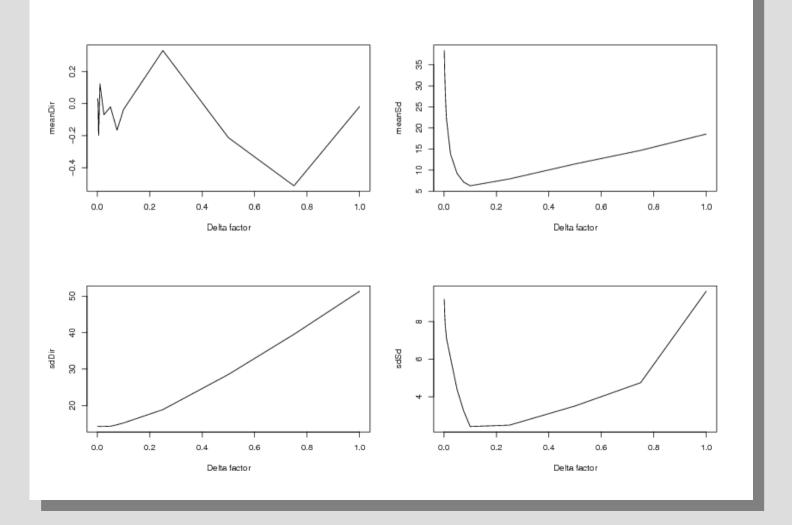
What happens if the odometry noise changes?



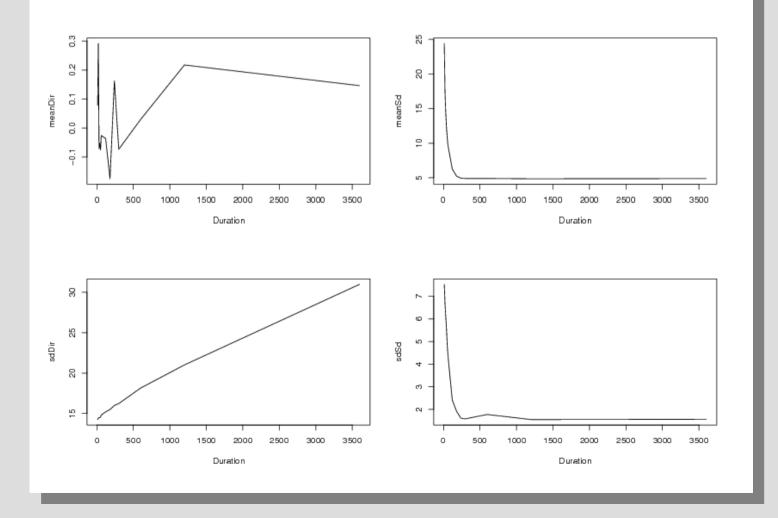
What happens if the perception noise changes?



What happens if the delta changes?



What happens if the duration changes?



Discussion

Tradeoff problem

- Robots estimate better the direction of the nest if they are numerous
- On the other hand they have difficulties to polarize for achieving a collective prey retrieval

Discussion

Scalability and robustness features

- There is a phase transition in the polarization of the robots with respect to the noise in odometry
- That makes the estimation of the direction of the nest by the group more robust in some conditions
- In any case the direction estimated is much better than what a single robot could do

Perspectives

Multi-dimensional analysis

- We didn't study the effect of 2 parameters changing
- Maybe there are some statistical tools that could help to find independent parameters, and relationships among parameters of the system (PCA, MANOVA?)

Mathematical model

 I love strange and unsolvable equations, could we put some?

Perspectives

Simulations & real experiments

- We need to simulate the experiment to chack to no relevant parameters was neglected during this work
- We need to design a real experiment to assess the efficiency in real conditions of the system

Thank you for your attention

So long, and thanks for the fish